#### Increasing Horizontal Resolution in Global NWP and Climate Simulations Illusion or Panacea?

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- $\bullet~$  Medium-Range  ${\sim}10$  days ahead
- IFS: Global NWP model
- 1279 spectral wave lengths  ${\sim}16 \rm km$  horizontal resolution
- 137 levels vertically
- Run model in less than 1 hour
- 51 ensemble forecasts for confidence interval

- double resolution every 8 years
- by 2015: ~10km horizontal resolution

## Spectral Transform Model









IFS model resolution	Envisaged Operational Implementation	Grid point spacing (km)	Time-step (seconds)	Estimated number of cores <sup>1</sup>
T1279 H <sup>2</sup>	2013 (L137)	16	600	2K
T2047 H	2014-2015	10	450	6K
T3999 NH <sup>3</sup>	2023-2024	5	240	80K
T7999 NH	2031-2032	2.5	30-120	1-4M

1 – a gross estimate for the number of 'IBM Power7' equivalent cores needed to achieve a 10 day model forecast in under 1 hour (~240 FD/D), system size would normally be ~10 times this number.

2 – Hydrostatic Dynamics

3 – Non-Hydrostatic Dynamics







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### How does IFS scale?

#### Time step flow



T3999 L137 performance



Overlapping communication and computations helps!

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## Orography – T1279 (16km)



Alps





# Orography – T7999 (2.5km)



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## Concurrence of events

#### Increased Resolution

- Resolved convection
- Non-hydrostatic effects
- Less predictable scales

Assess and Quantify Forecast uncertainty

Not necessarily improved forecasts

- Estimation of initial state
- Imperfect model assumptions

#### Novel Computer Architectures

- Energy efficient Massively parallel computing
- Accelerator technology ( GPU, coprocessors, ... )
- Disruptive software developments



#### Rethink modelling strategy We need deeper understanding of multi-scale interactions at ultra-high *global* resolution

• Effective resolution compared to observations: 6 to 8  $\Delta x$ 

Increase gridpoint resolution, without increasing spectral resolution

• Truncating spectral wave numbers

 $\equiv$  filtering poorly resolved waves

- Dramatically cheaper spectral transforms.
- Controlled aliasing errors

How does this trade-off influence the effective resolution and scores?

- Decrease spectral resolution with constant grid-point resolution:

   — Neutral or Improved scores
- **2** Increase grid-point resolution with constant spectral resolution:
  - $\rightarrow$  Significant improvement





Comparison of global spectra after 5 days of simulation for the resolutions  $T_c1023$  and  $T_l1279$  at the lowest model level  $\sim 10$  m height (left) and at a mid-tropospheric model level  $\sim 500$  hPa (right)

 $T_1$  (linear grid) : 2N + 1 points

 $T_c$  (cubic grid) : 4N + 1 points

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#### Explanation

Similar to Large Eddy Simulation with Explicit Filter

- Dynamics are computed with truncated (filtered) more accurately resolved fields.
- Aliasing errors are controlled
- Physical parametrizations are computed relatively more accurately.
- Semi-Lagrangian time-stepping grid-point interpolation is more acccurate.
- Further possible improvements with technology to compute local gridpoint derivatives
  - Opening avenues for improved physical parameterisations and local turbulence closures
  - Conservative transport of passive tracers



## Grid-point derivatives for Reduced Gaussian Grid?

#### Reduced Gaussian Grid

- Uniform distribution in zonal direction
- Gaussian distribution in meridional direction
- Progressively reduce number points towards poles

Cannot be used for Finite Difference schemes directly.

- Create unstructured mesh about Reduced Gaussian Grid points
- Discretize using element-based or edge-based methods





## Atlas project

## A parallel, flexible and dynamic data structure framework

- Both structured and unstructured meshes
- Object-Oriented design in C++ with Fortran 2003 interface
- A new basis for development of alternative scalable dynamical cores
  - $\rightarrow$  Compact stencil space discretisation
  - $\rightarrow$  Nearest neighbour communication

#### Noteworthy capabilities

- mesh generation / mesh reading / mesh writing / interpolation
- Input/Output of fields
- Parallelisation (halo-exchange, gather, distribute)
  - Domain decomposition algorithm
  - Halo construction algorithm



# Atlas project Parallelisation



• Halo computation algorithm



• Optimal Equal-Area Domain decomposition



## PantaRhei project

- Fortran 2003 project
- Built on Atlas framework
- Unstructured Edge-based Finite Volume scheme
  - $\rightarrow$  MPDATA advection explicit
  - $\rightarrow$  Elliptic solver implicit forcing
- Hydrostatic equations
  - $\rightarrow$  2D: Shallow Water Equations
  - $\rightarrow$  3D: Isentropic / Isopycnic coordinates
- Non-hydrostatic equations (3D)
  - $\rightarrow$  Anelastic
  - $\rightarrow$  Pseudo-Incompressible
- Structured treatment of vertical direction
- Hybrid MPI / OpenMP parallelisation



MPDATA – Szmelter and Smolarkiewicz (2010, JCP) Multidimensional Positive Definite Advection Transport Algorithm

$$rac{\partial \psi}{\partial t} + rac{\partial}{\partial x}(u\psi) = rac{\partial}{\partial x}(Krac{\partial \psi}{\partial x}) \quad ext{with} \quad K = rac{(\delta x)^2}{2 \ \delta t}(|U| - U^2)$$

- Non-oscillatory forward-in-time scheme, capable of accomodating a wide range of scales and conservation problems
- Unstructured prismatic meshes allow irregular spatial resolution and enhancement of polar regions.
- Formulation for time-dependent non-orthogonal curvilinear coordinates on the manifold.

$$\frac{\partial G\psi}{\partial t} + \nabla \cdot (G\mathbf{v}^*\psi) = GR$$





#### Shallow Water Equations on the Sphere

$$\begin{aligned} \frac{\partial G\mathcal{D}}{\partial t} + \nabla \cdot (G\mathbf{v}^*\mathcal{D}) &= 0\\ \frac{\partial G\mathcal{Q}_x}{\partial t} + \nabla \cdot (G\mathbf{v}^*\mathcal{Q}_x) &= G\left(-\frac{g}{h_x}\mathcal{D}\frac{\partial H}{\partial x} + f\mathcal{Q}_y - \frac{1}{G\mathcal{D}}\frac{\partial h_x}{\partial y}\mathcal{Q}_x\mathcal{Q}_y\right)\\ \frac{\partial G\mathcal{Q}_y}{\partial t} + \nabla \cdot (G\mathbf{v}^*\mathcal{Q}_y) &= G\left(-\frac{g}{h_x}\mathcal{D}\frac{\partial H}{\partial x} + f\mathcal{Q}_y - \frac{1}{G\mathcal{D}}\frac{\partial h_x}{\partial y}\mathcal{Q}_x\mathcal{Q}_y\right)\end{aligned}$$

Meridional wind-component for flow over 2km mountain at mid-latitudes; result obtained using Reduced Gaussian mesh with 16km resolution.



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#### 3D Hydrostatic Equations in Isentropic Coordinates

Isentrope height perturbation at  $H_e = \lambda_z/8$ Froude Number = 2, Zontal wind U = 10 m/s, Brunt-Väisälä frequency = 0.04

Result obtained using Reduced Gaussian mesh with 1km horizontal resolution, and 40m vertical resolution on a small planet with radius 64km.



Isentropes in a vertical

plane at the equator

#### Parallel Scaling results – Dynamics only!



Scaling results obtained with 10km Reduced Gaussian mesh and 137 Levels.

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#### Conclusions

- Horizontal resolution increases in NWP and climate prediction are likely to continue to provide improvements in forecast quality and offer new opportunities for uncertainty estimation.
- Blunt increases are not a panacea without adjusting the numerical techniques applied and are likely to be unaffordable or, worse, they may not lead to the desired improvements.
- Alternative dynamical cores based on nearest-neighbour communication might provide answers to scalability issues involved with spectral transformations
- Preliminary work on an MPDATA based dynamical core on unstructured meshes has started, showing promising results
- Using unstructured mesh with same gridpoints as the spectral model provides evolutionary aspect with a hybrid spectral/gridpoint model.



# Thank you for your attention!

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