



C-LAEF: Convection permitting Limited Area Ensemble Forecasting

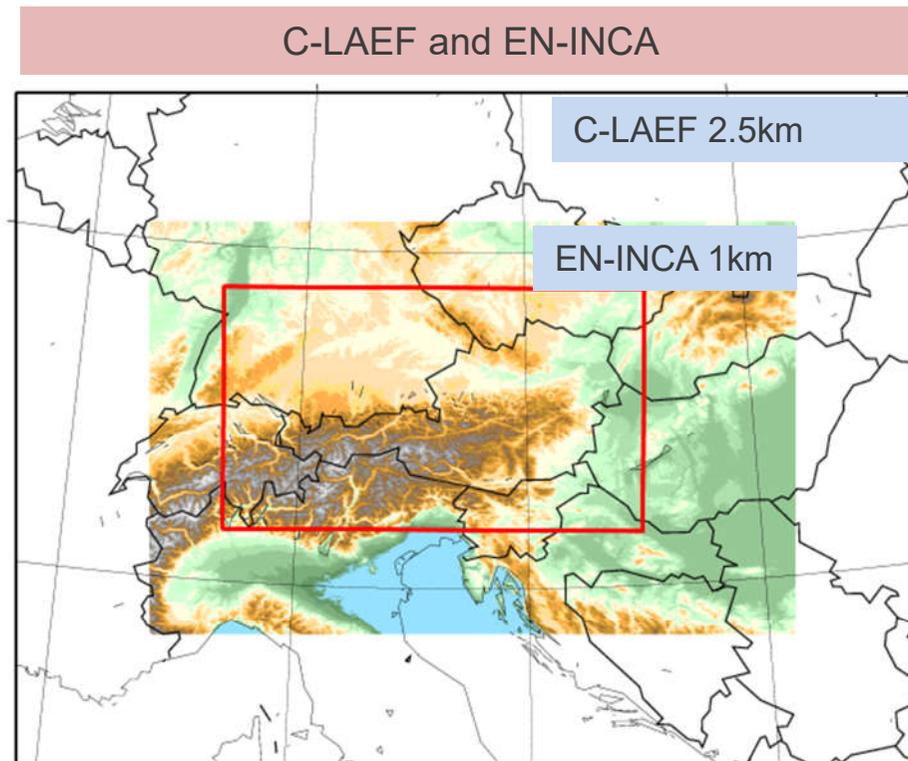
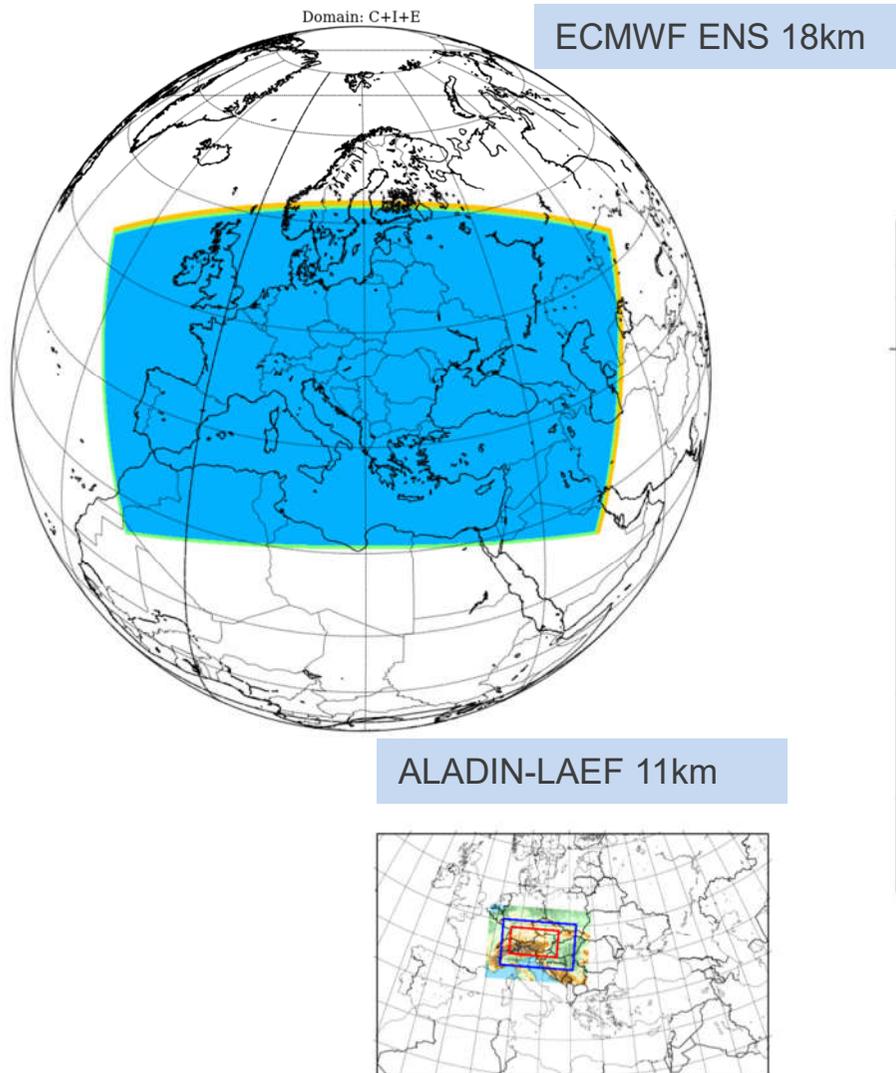
Clemens Wastl, Yong Wang, Christoph Wittmann, Endi Keresturi



ZAMG

Zentralanstalt für
Meteorologie und
Geodynamik

Ensemble prediction systems in Austria



Part of the seamless system

C-LAEF at ZAMG

Convection permitting Limited Area Ensemble Forecasting

AROME based; under development - not yet operational; ECMWF supercomputer

ensemble size

16 + 1

Δx / vertical levels

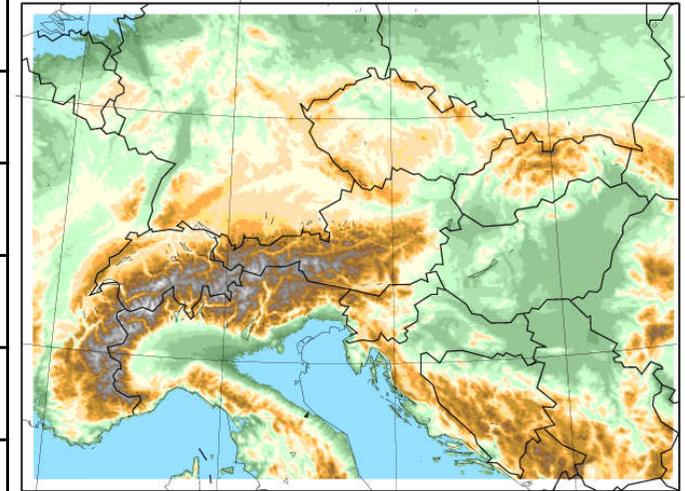
2.5 km / 90

coupling

ECMWF-ENS

runs per day

00/12 (+ 48 h) - 06/18 (+6h)



Initial conditions error

- Ensemble-data assimilation (EDA)
- Ensemble-data assimilation of surface variables (ESDA)
- Ensemble-Jk

+

Lateral boundary conditions error

- Coupling with ECMWF-ENS
- Ensemble-Jk

+

Model error

- Perturbation of tendencies (SPPT, pSPPT)
- Perturbation of parameters (SPP)
- Combination of pSPPT+SPP (HS)

IC and LBC perturbations in C-LAEF



- Jk blending method developed by Guidard and Fischer (2008)
- Integration of uncertainty from global EPS directly to C-LAEF data assimilation
- Combination of large scale (global EPS) with small scale (C-LAEF) perturbations
- Consistency between IC und LBC perturbations in C-LAEF

Cost function (3DVar)

$$J(x) = \underbrace{\frac{1}{2} (x - x_b)^T B^{-1} (x - x_b)}_{J_b} + \underbrace{\frac{1}{2} (y - Hx)^T R^{-1} (y - Hx)}_{J_o}$$

Cost function in Jk blending method:

$$J(x) = J_b + J_o + \underbrace{\frac{1}{2} (x - x_{ls})^T V^{-1} (x - x_{ls})}_{J_k} = J_b + J_o + J_k$$

Physics schemes in AROME / C-LAEF



Radiation scheme

$$\longrightarrow \frac{\delta T_1}{\delta t}$$

Way how tendencies of different physics schemes are processed in AROME / C-LAEF

Shallow convection scheme

$$\longrightarrow \frac{\delta T_2}{\delta t}, \frac{\delta Q_2}{\delta t}, \frac{\delta U_2, V_2}{\delta t}$$

Turbulence scheme

$$\longrightarrow \frac{\delta T_3}{\delta t}, \frac{\delta Q_3}{\delta t}, \frac{\delta U_3, V_3}{\delta t}$$

Microphysics scheme

$$\longrightarrow \frac{\delta T_4}{\delta t}, \frac{\delta Q_4}{\delta t}$$

$$\frac{dT}{dt} = \sum_{i=1}^4 \frac{\delta T_i}{\delta t}, \quad \frac{dQ}{dt} = \sum_{i=1}^4 \frac{\delta Q_i}{\delta t}, \text{ etc.}$$

Stochastic perturbation of total model tendencies: SPPT (ECMWF)



Standard SPPT: Perturbation of total model tendencies (Buizza et al., 1999; Palmer et al., 2009)

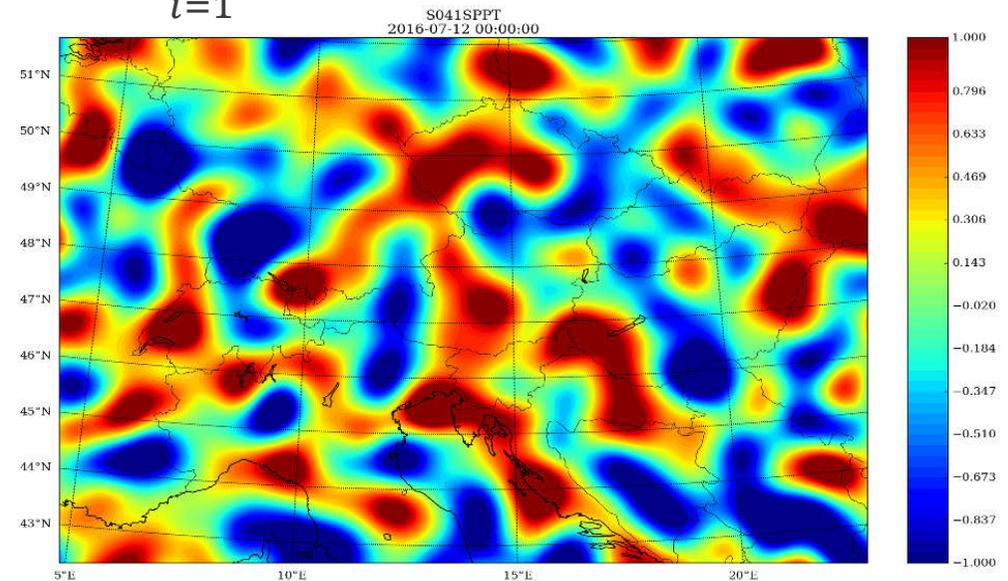
$$\frac{dT}{dt} = \sum_{i=1}^4 \frac{\delta T_i}{\delta t} \quad \frac{dT'}{dt} = \frac{dT}{dt} * (1 + P)$$

P stochastic pattern

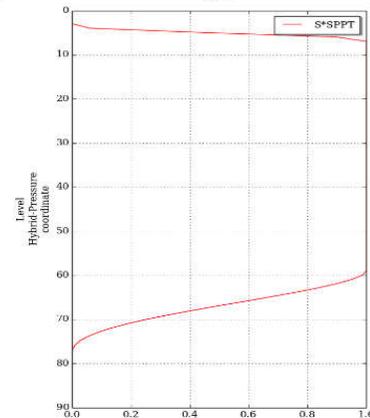
$$\frac{dQ}{dt} = \sum_{i=1}^4 \frac{\delta Q_i}{\delta t} \quad \frac{dQ'}{dt} = \frac{dQ}{dt} * (1 + P) \dots$$

Constraints:

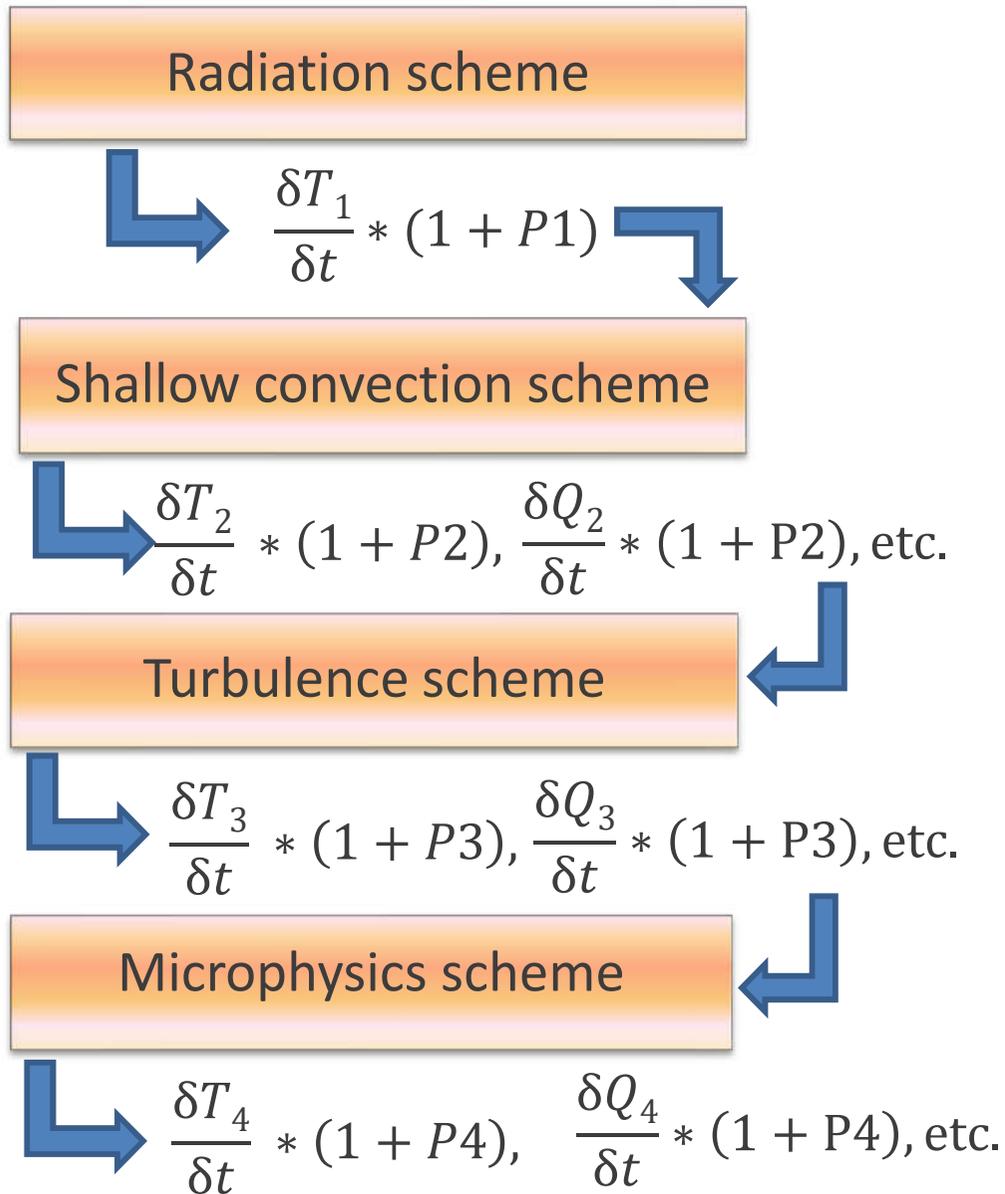
- Energy conservation ~~X~~
- Tapering function β ~~X~~
- Physical consistency ~~X~~
- Assumes same level of uncertainty for all parametrisations ~~X~~



$$P = P * \beta$$

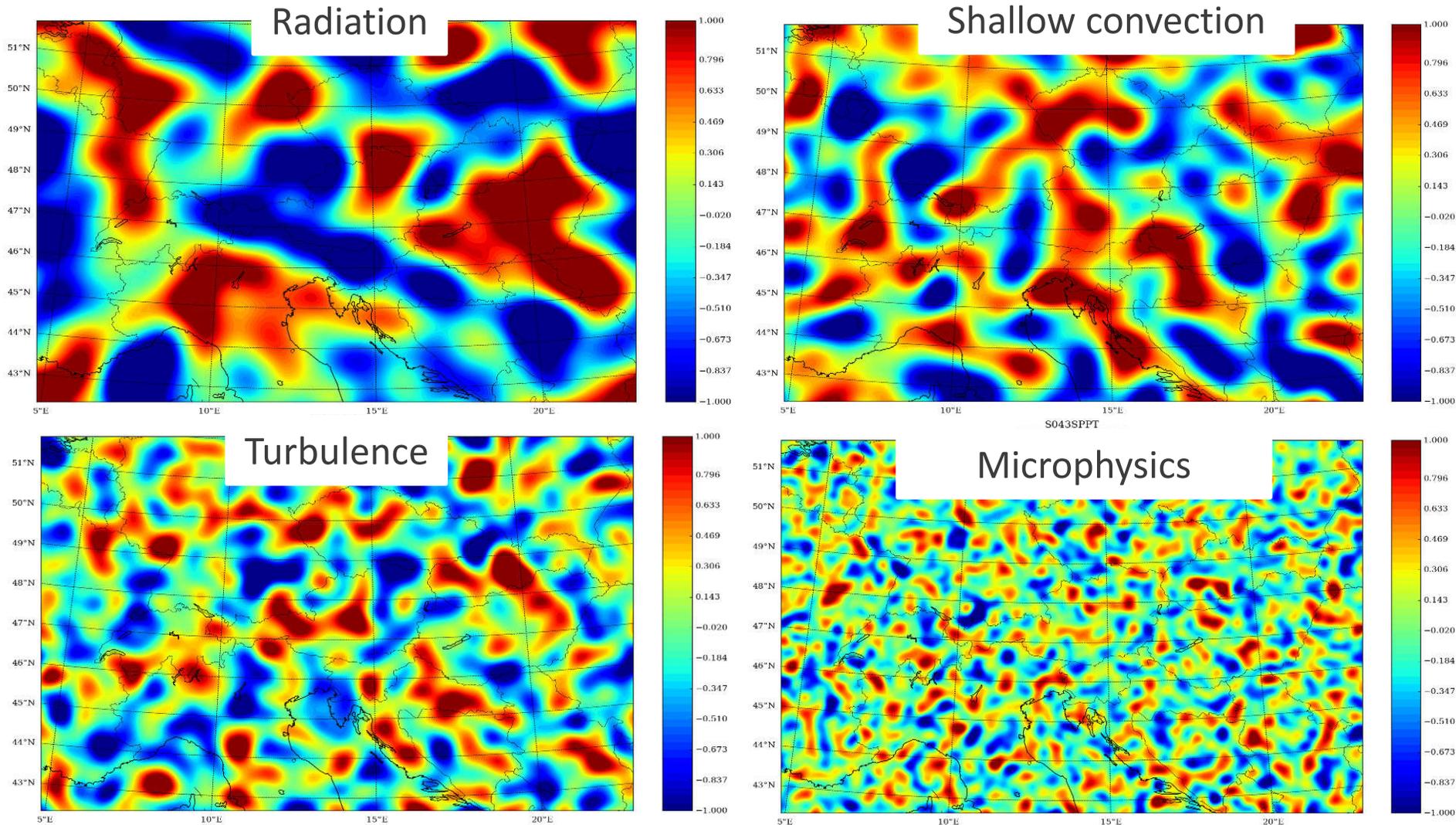


Stochastic perturbation of partial model tendencies: pSPPT (ZAMG)



- In pSPPT the partial tendencies of T, Q, U, V are perturbed directly after each parametrization
- Influence on subsequent schemes
- Different perturbations are applied to the physics schemes
- In C-LAEF we need 4 different perturbation patterns with different temporal and horizontal scales

Stochastic perturbation of partial model tendencies: pSPPT (ZAMG)



- Assumes same level of uncertainty for all parametrisations ✓
- Physical consistency ✓

- Energy conservation ✓
- Tapering function β (turbulence) ✗



Stochastic physics in C-LAEF: Hybrid system (HS)



- Stochastic perturbation of model tendencies showed promising results, especially pSPPT, still some restrictions
-  Stochastic perturbation of key parameters (SPP, Ollinaho et al., 2017) at process level in the turbulence scheme (see table)
- Hybrid system (HS): Combination of pSPPT with parameter perturbation in turbulence

Parameter	Range	Description
XLINI	0 – 0.1	Minimum BL89 mixing length
XCTD	0.98 – 1.2	Constant for dissipation of potential temperature and mixing ratio
XCTP	2.325 – 4.65	Constant for temperature-vapor pressure correlation
XCEP	1.055 – 4.0	Constant for wind-pressure correlation
XCED	0.7 – 0.85	Constant for dissipation of total kinetic energy (TKE)
XALPSBL	3.75 – 4.65	Value related to the TKE universal function within the surface boundary layer

$$\alpha_i' = \exp(P) * \alpha_i$$

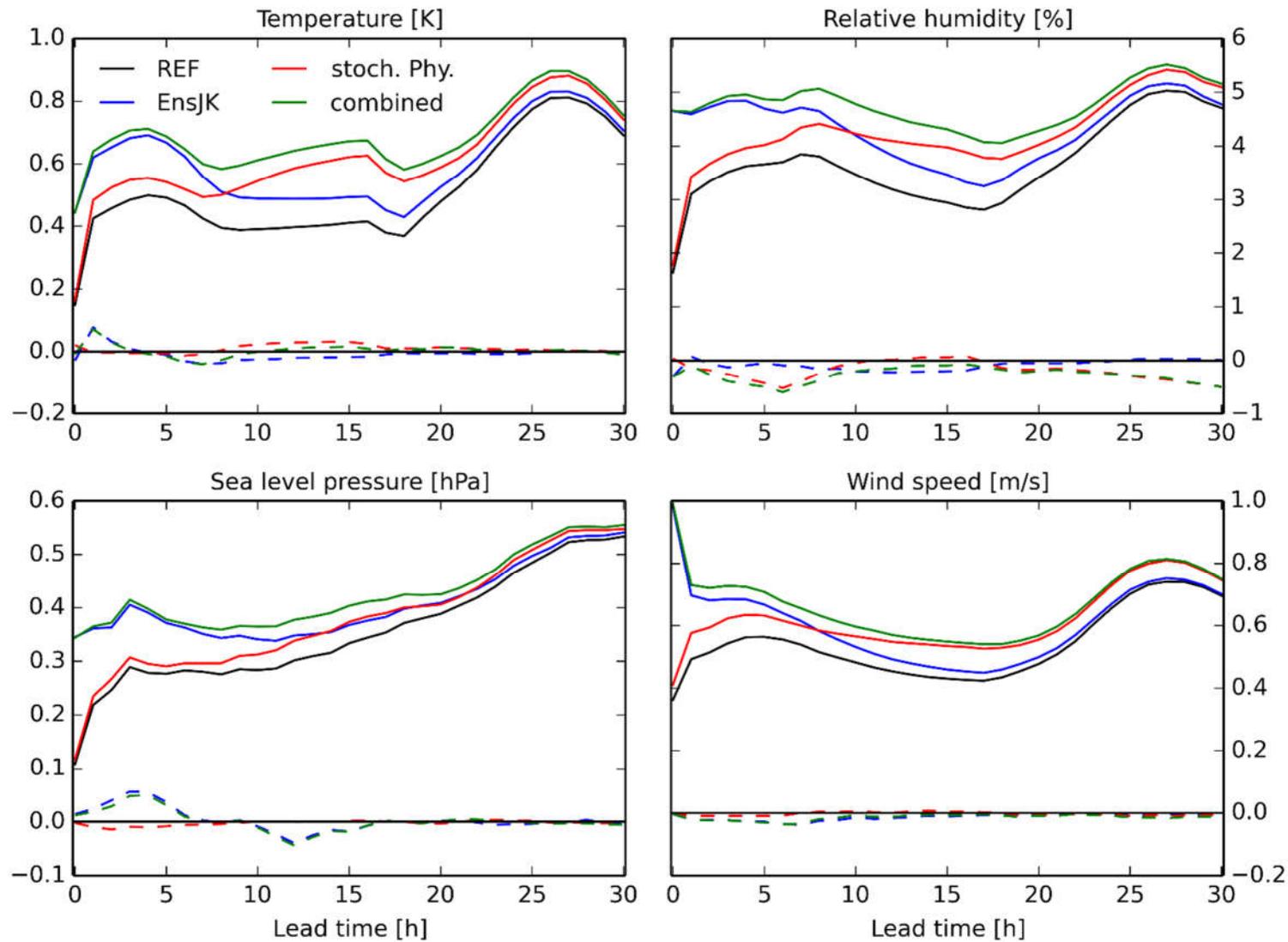
Parameters in the turbulence scheme which are stochastically perturbed.

- Energy conservation
- Tapering function



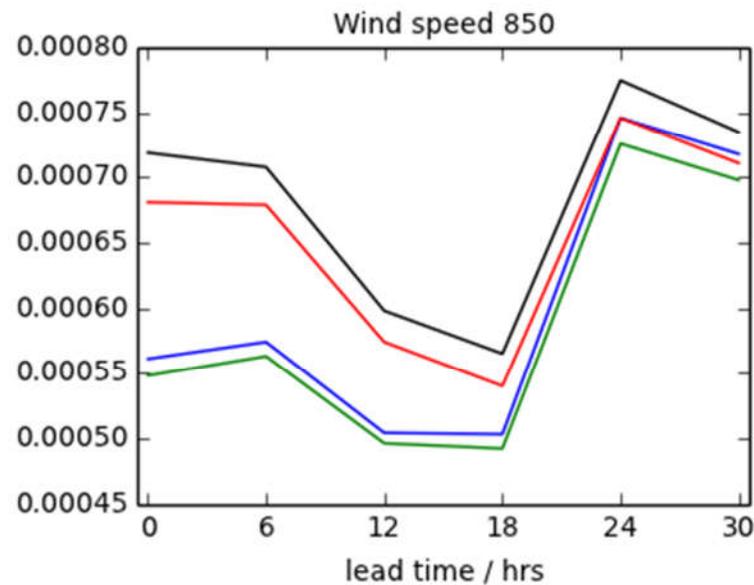
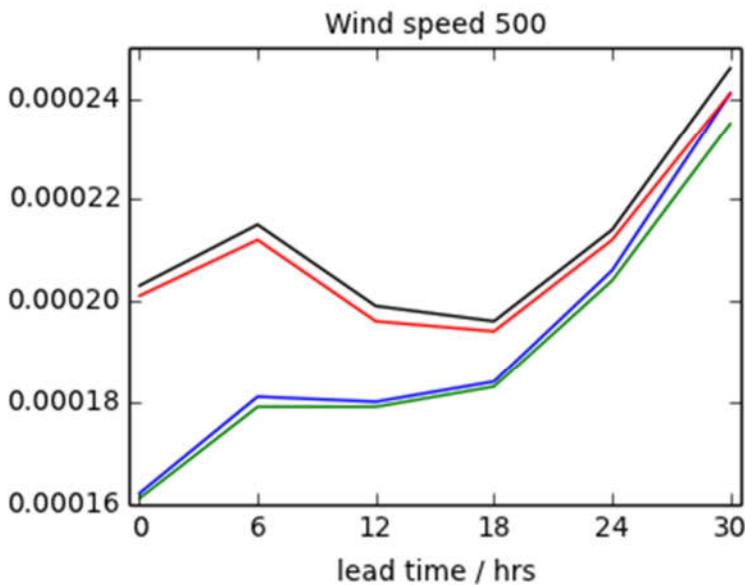
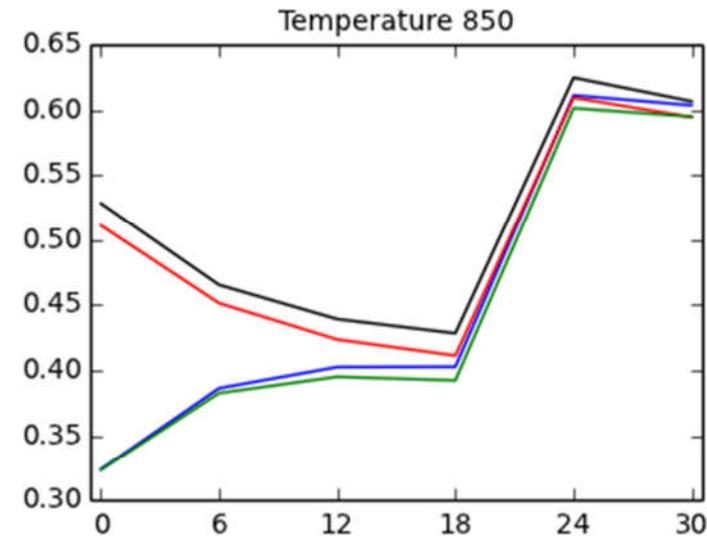
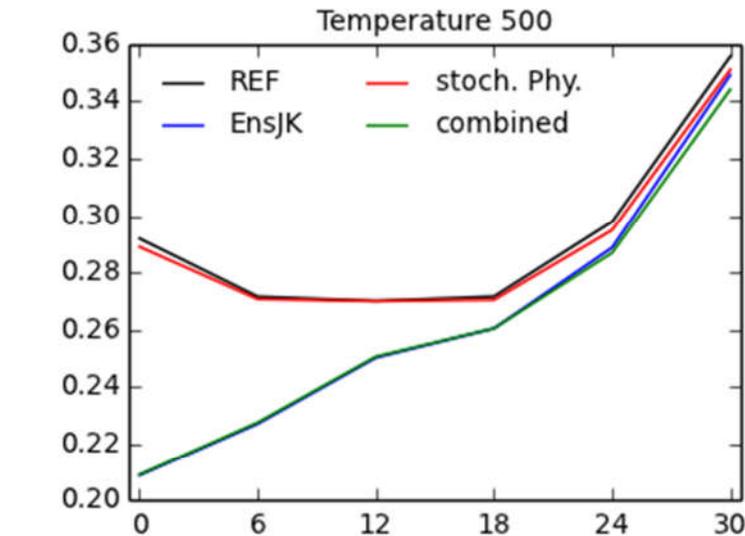
- Surface EDA, perturbation of surface variables

Results of summer test period



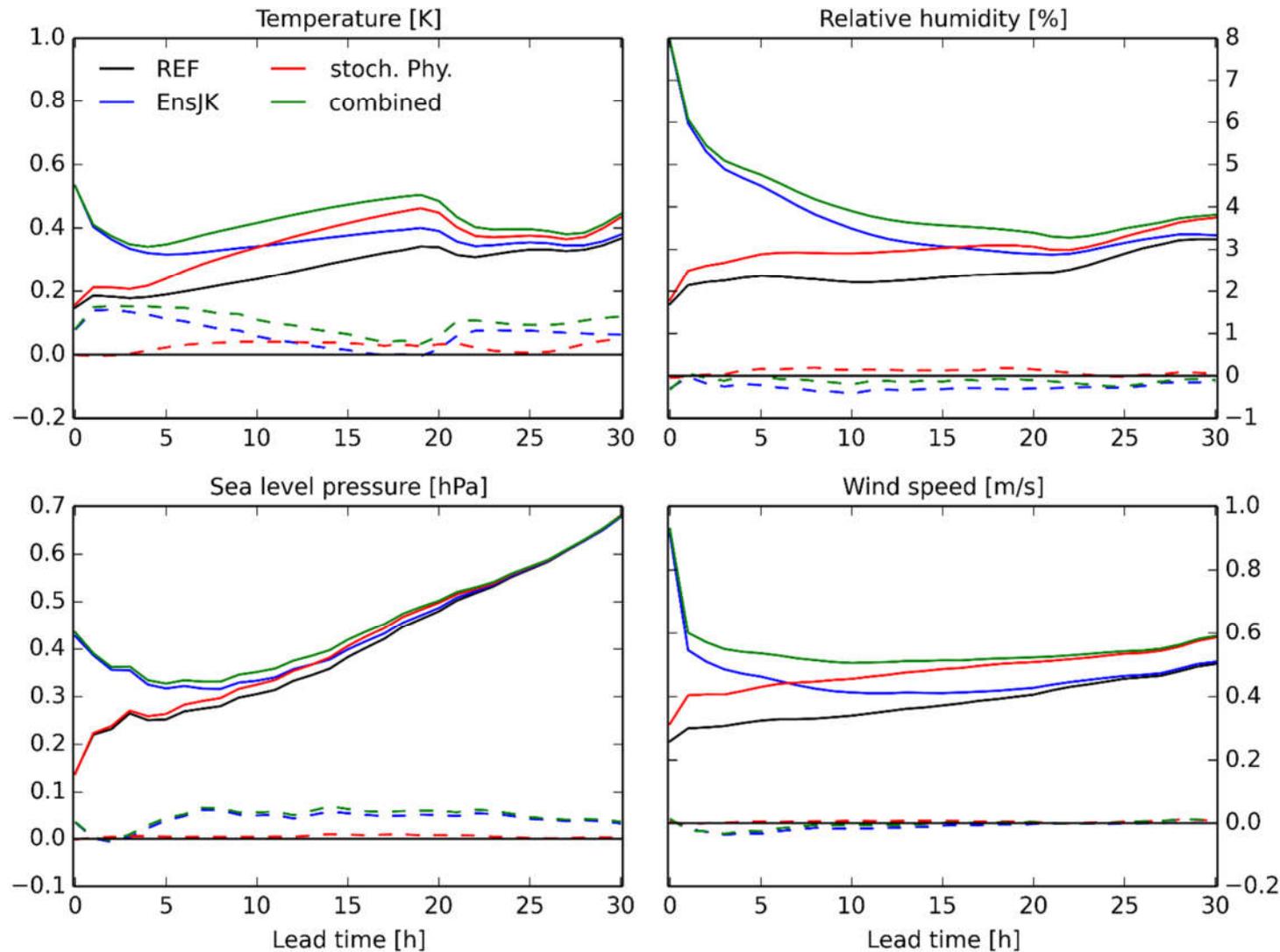
Ensemble spread (solid) and RMSE (dashed) for surface parameters in July 2016. RMSE is given as difference to the reference run.

Results of summer test period



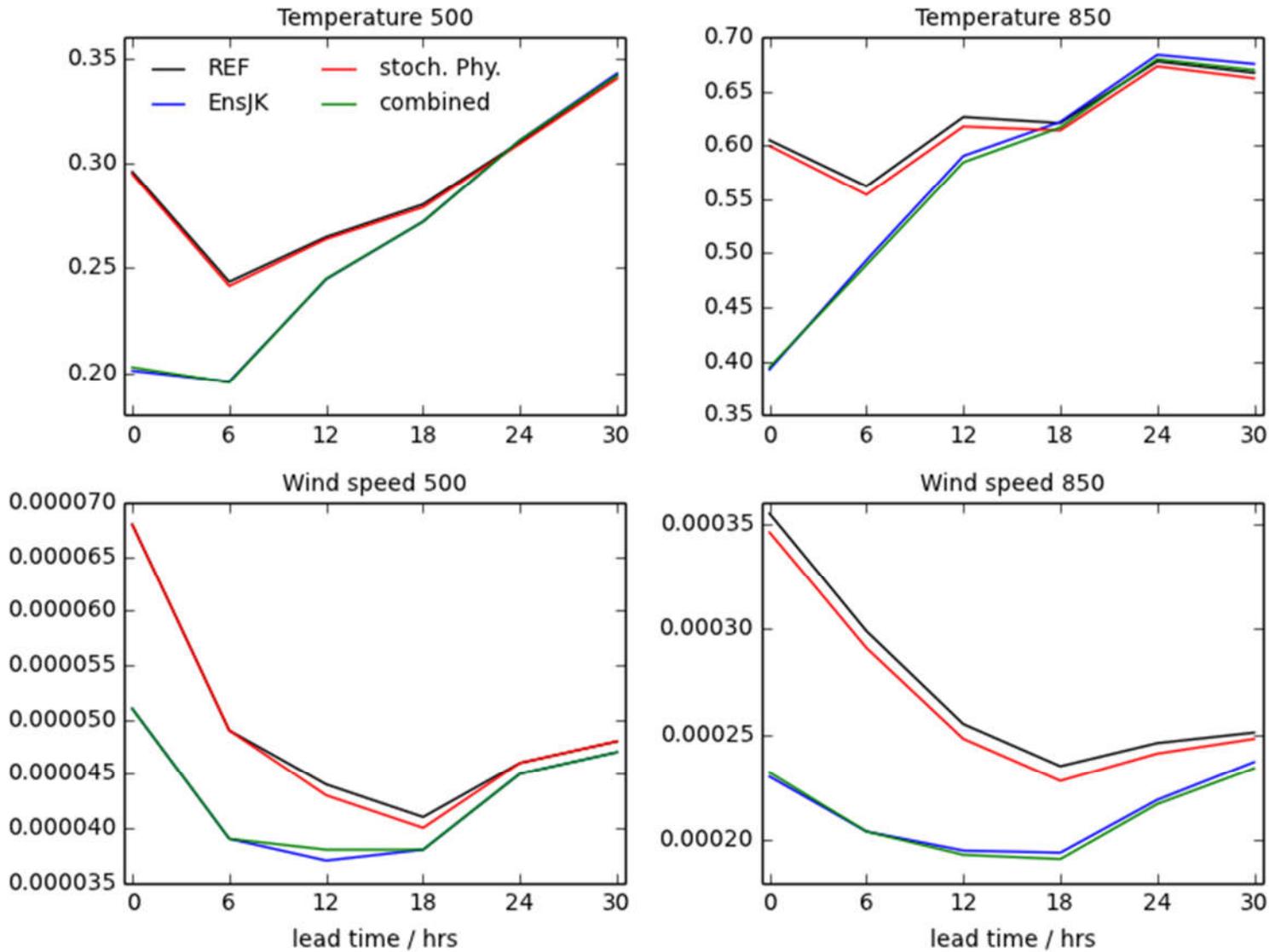
CRPS for temperature and wind speed at 500 hPa and 850 hPa in July 2016.

Results of winter test period



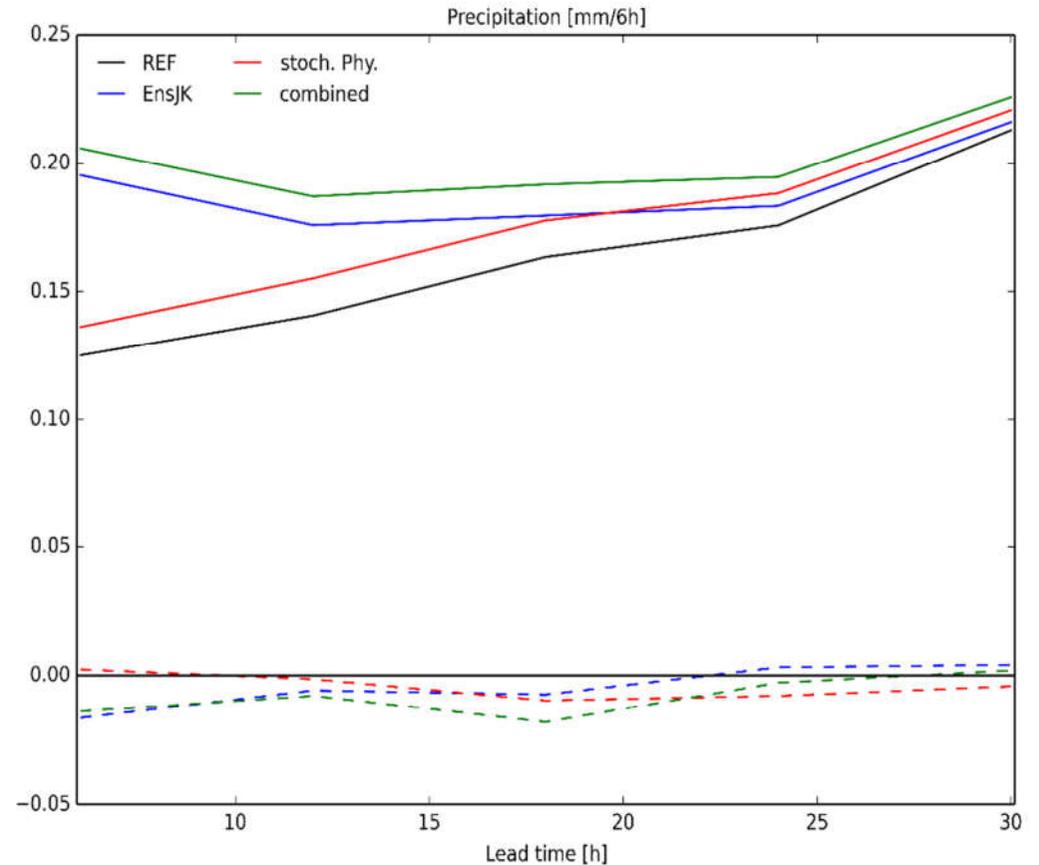
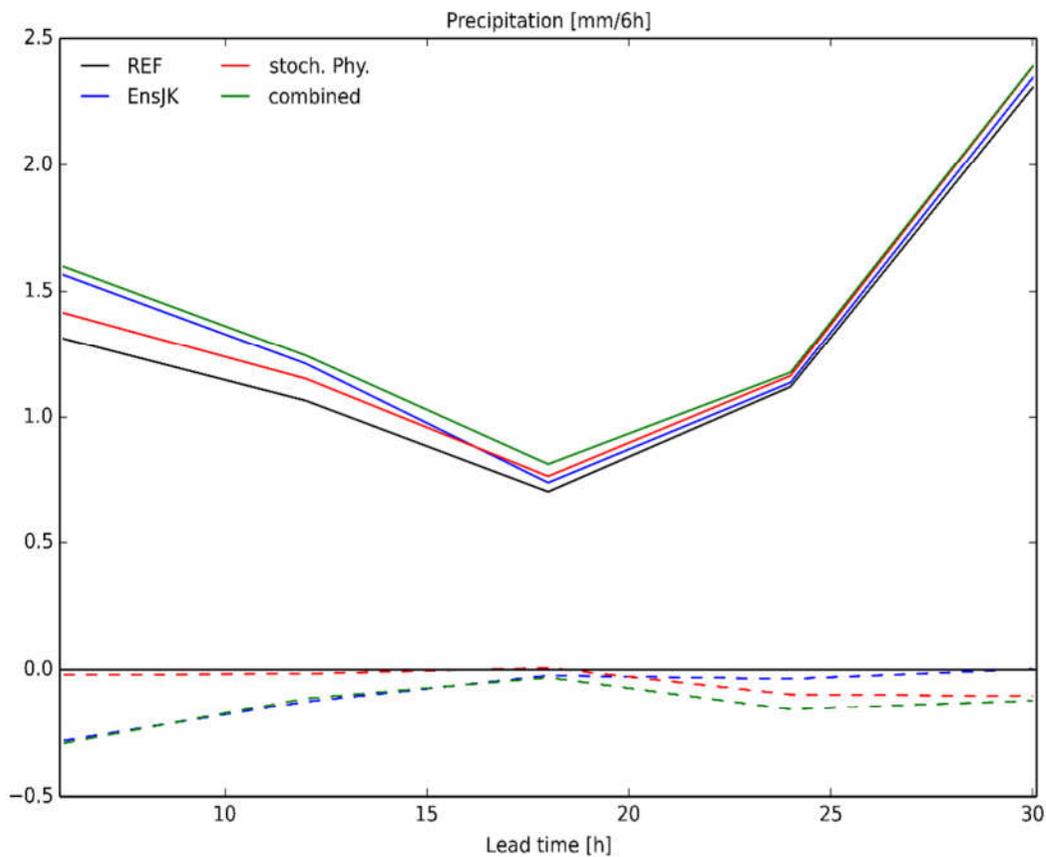
Ensemble spread (solid) and RMSE (dashed) for surface parameters in January 2017. RMSE is given as difference to the reference run.

Results of winter test period



CRPS for temperature and wind speed at 500 hPa and 850 hPa in January 2017.

Precipitation verification



Ensemble spread (solid) and RMSE (dashed) for precipitation in July 2016 (left) and January 2017 (right). RMSE is given as difference to the reference run.

C-LAEF: Conclusions & Outlook



- C-LAEF is an innovative convection permitting ensemble system which is currently under development at ZAMG
- C-LAEF is comprehensive and contains representation of all uncertainties in NWP (IC, LBC, model error)
- Ensemble JK significantly increases ensemble spread in the first hours
- Stochastic physics additionally increases spread and reduces RMSE during the whole forecasting range
- Combination of tendency perturbations and parameter perturbations showed best results for model error representation
- Outlook: Perturbation of surface parameters (ESDA, observation perturbation on the surface)