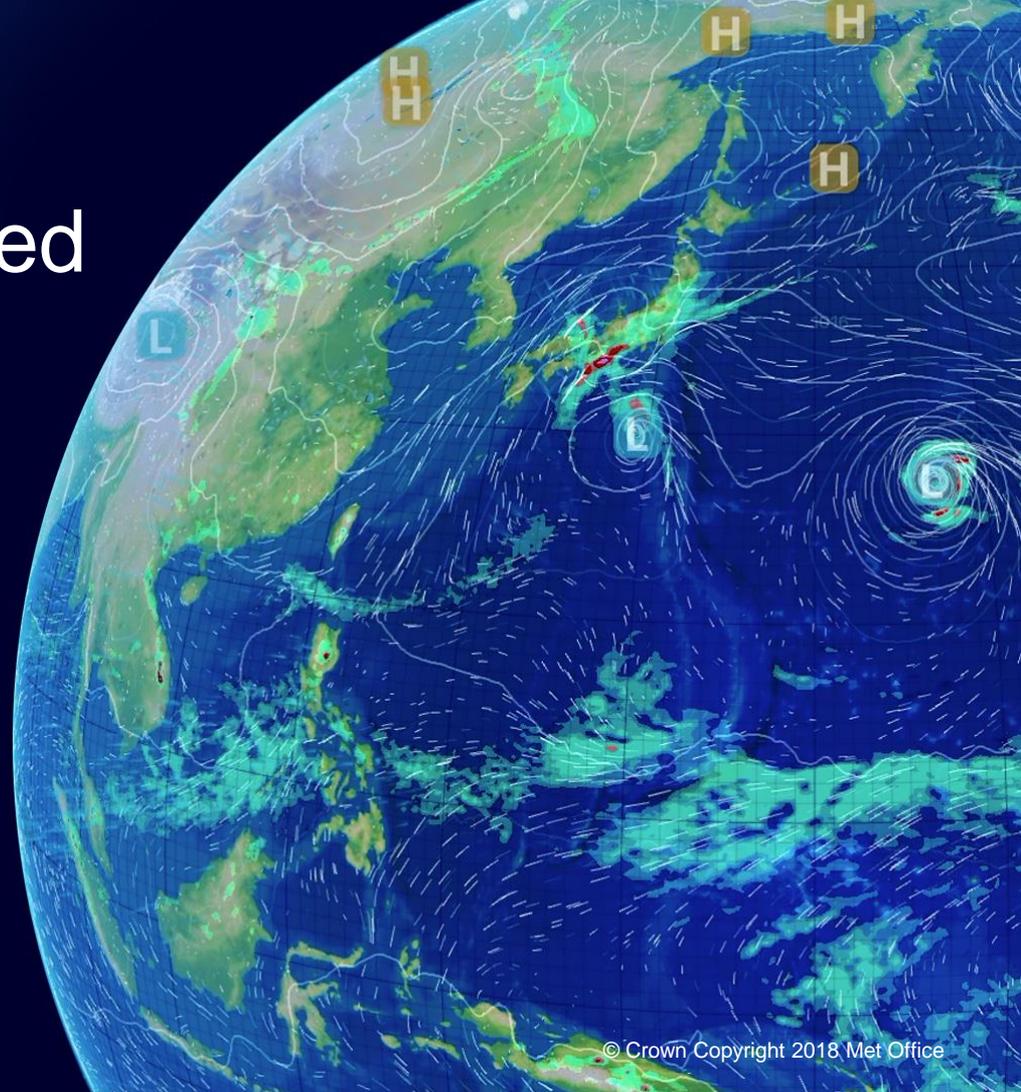


Next Generation Limited Area Models

Christine Johnson



Next generation model development

Aim: Maintain the benefits of the current UM, whilst improving the scalability.

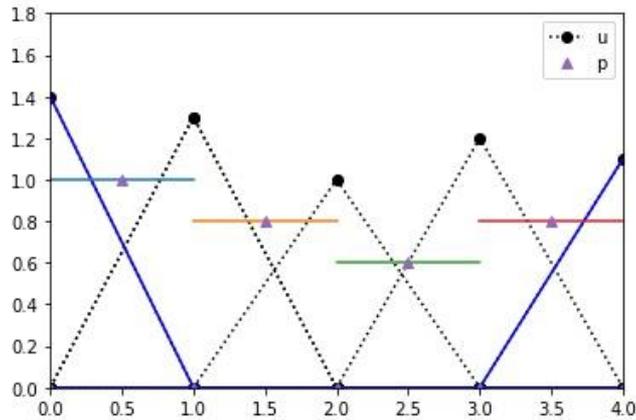
LFRic:

Infrastructure that allows **separation of concerns** – separating science code from computer optimization code.

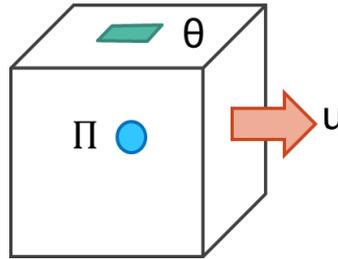
GungHo:

A new dynamical core. **Finite-elements** give flexibility for the choice of mesh, **finite-volume** transport gives improved conservation.

Mixed finite elements



Wind is continuous
between cells. Pressure is
discontinuous.



	Variable	Node location
u	Wind	Cell faces
Π	Exner pressure	Cell centres
θ	Temperature	Upper and lower faces

This gives:

- **Compatibility:** e.g. Divergence of wind, $\nabla \cdot u$ is in the same space as pressure, Π .
- **Staggering:** equivalence to the C-grid, Charney-Phillips in the UM.

Semi-implicit time discretization

The governing equations can be written as

$$R(x^{n+1}) = 0 \quad \text{where } x = (u, \rho, \theta, \Pi).$$

This includes dynamics forcings, fast and slow physics and transport.

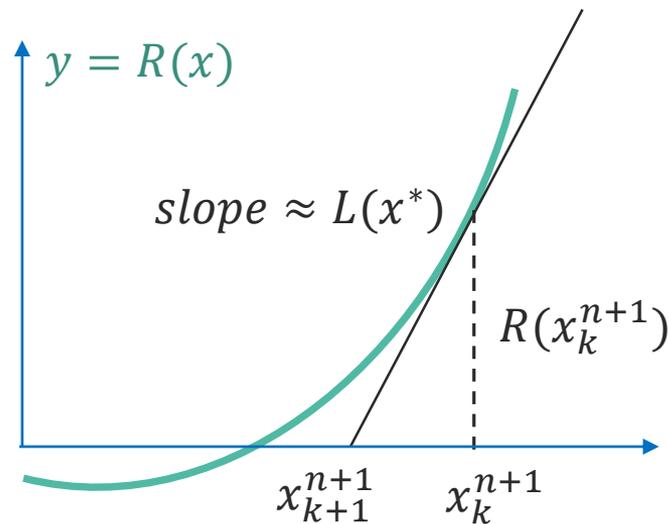
Let the state at time t^{n+1} and iteration $k + 1$ be

$$x_{k+1}^{n+1} = x_k^{n+1} + x'_k, \quad x_0^{n+1} = x^n.$$

and solve using a **quasi-Newton method**:

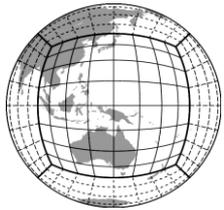
$$L(x^*)(x'_k) = -R(x_k^{n+1})$$

where L is an approximation to the Jacobian, using the basic state $x^* = x^n$.

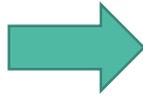


Limited-area model development

Aim: Develop a limited-area version of GungHo, using lateral boundary conditions (LBCs) such that the model can be nested in a driving model.

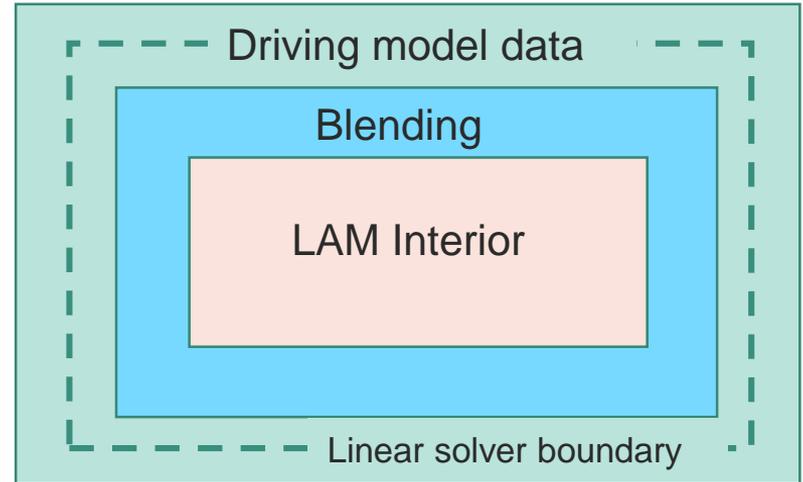


LFRic
Global



LFRic
LAM

- Similar approach to the UM
- One-way nesting



Apply LBCs to the linear solver

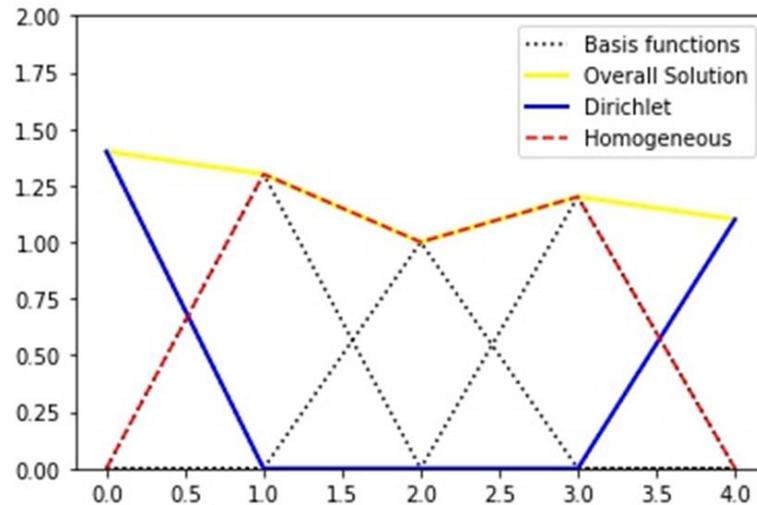
Split the increment into the homogeneous interior and boundary components

$$x_k' = x_H' + x_B'$$

This gives the modified linear solver

$$L(x^*)(x_H') = -R(x^n) - L(x^*)(x_B')$$

which we solve with the same Krylov solver as the full model.



x_B' is the difference in the **wind** between the driving model and LAM.

Identify the lateral boundary cells



Create a mask of 1s and 0s – that identifies the boundary cells/nodes.

Apply the boundary conditions using the masks and built-in operations.

```
call invoke( X_times_Y( boundary_data,  
                    driving_model,  
                    mask ))
```

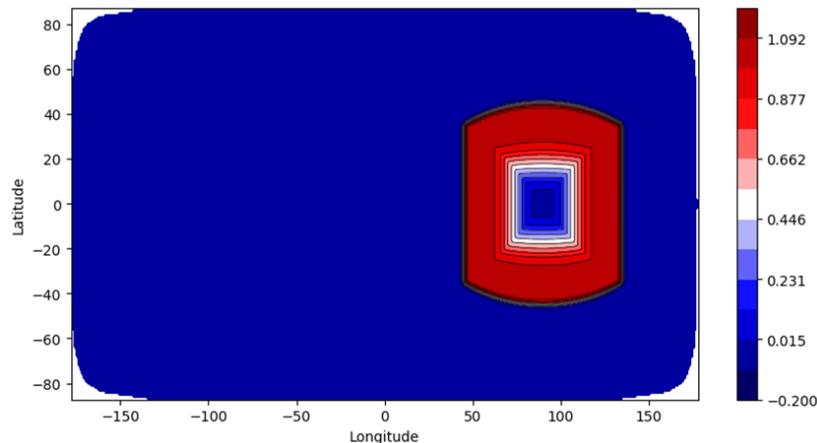


Blending

We need blending to prevent imbalances resulting from mismatches between the interior and the driving model.

$$x_{LAM}^{blended} = w x_{driving} + (1 - w) x_{LAM}$$

Apply at the end of every iteration.



Blending weights: w is 1 near the edge of the domain, and then ramps down to zero towards the centre of the domain.

Big brother experiments

Nest the LAM in the driving model using

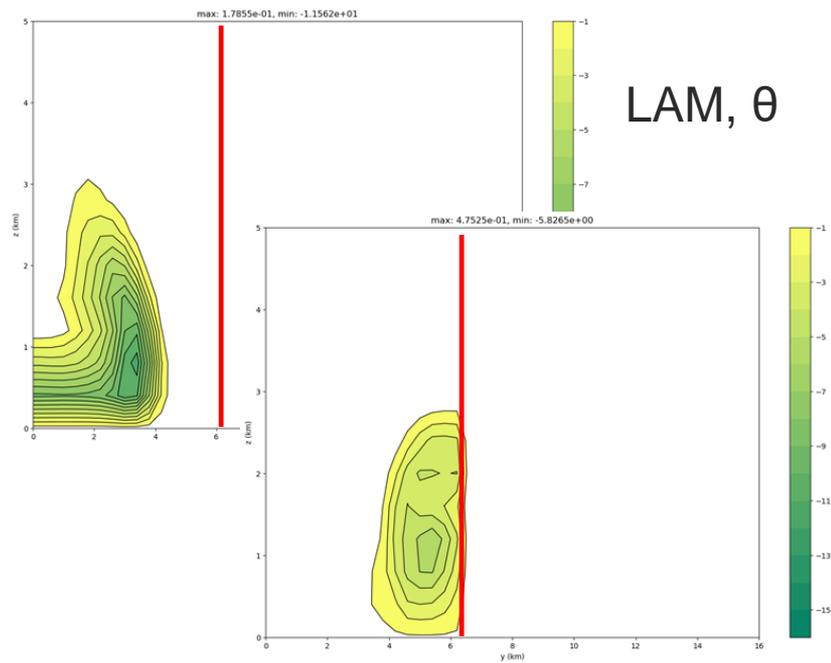
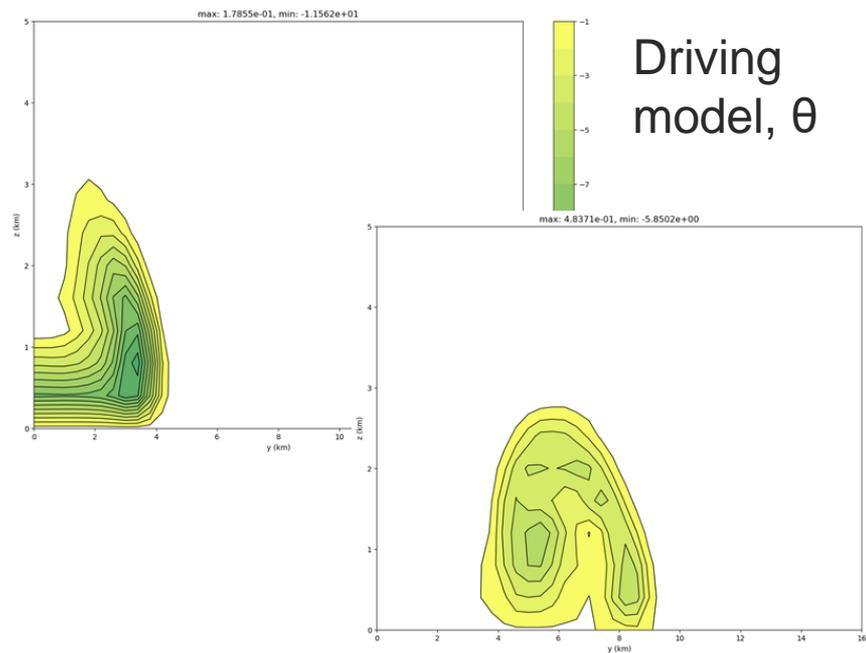
- Same mesh
- Same model configuration
- LBCs updated on every timestep

The LAM solution should be almost identical to the driving model solution.

Operational Mesh: the target operational LAM mesh is a rotated pole, lat-lon mesh and the global model will use a cubed-sphere mesh.

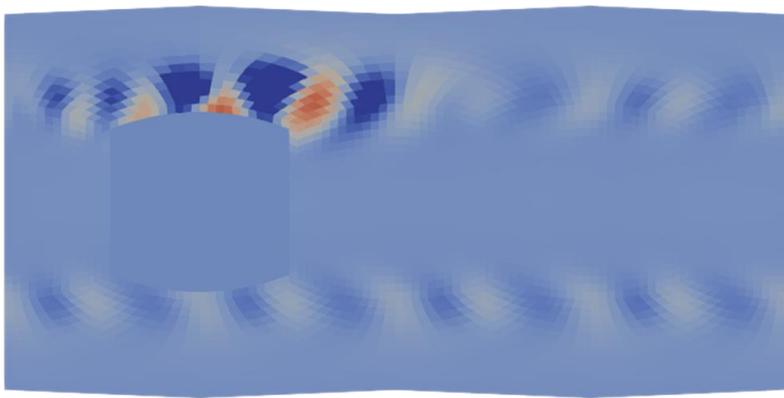
Pseudo-LAM: in these experiments, we run the LAM on exactly the same mesh and domain as the driving model – but the LAM is only allowed to evolve in a small region.

Straka Bubble Test

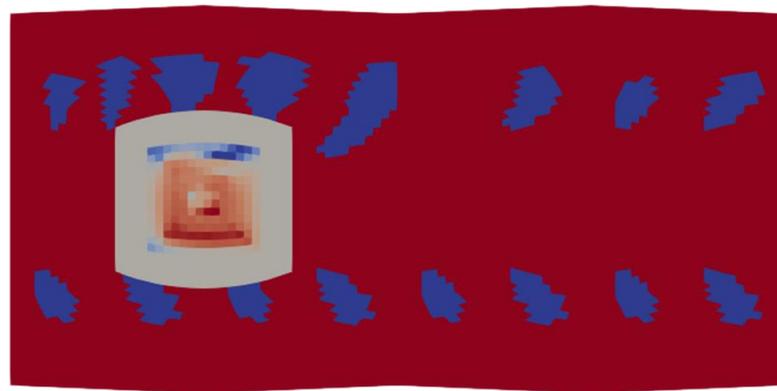


Baroclinic wave test

Differences between driving model and LAM, for Exner pressure at the surface.



a) Contour interval [-0.002, 0.006]



b) Contour interval [-5e-8, 5e-8].

Timescales (tentative - to be confirmed)

